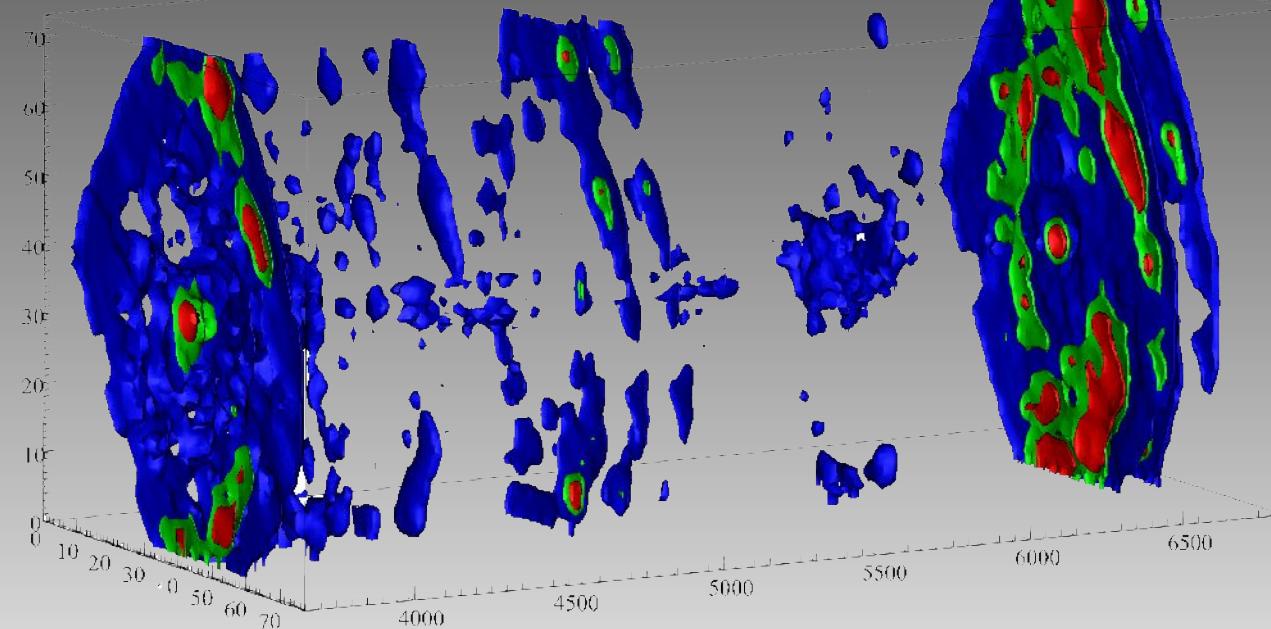


CALIFA

# PCA Tomograms applied to CALIFA datacubes



(Ongoing master thesis project)

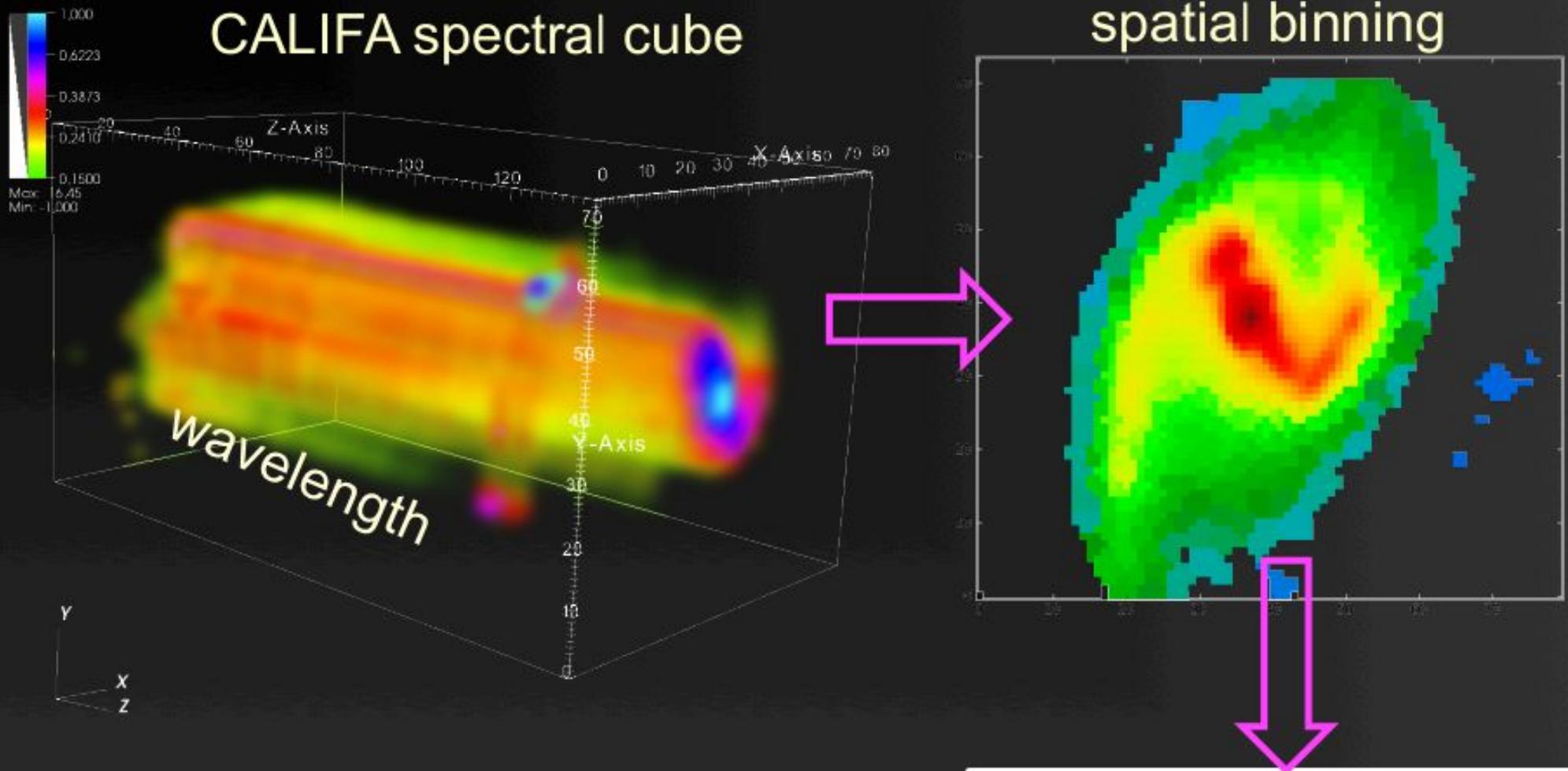


Eduardo Alberto Duarte Lacerda  
Advisor: Roberto Cid Fernandes

# Summary

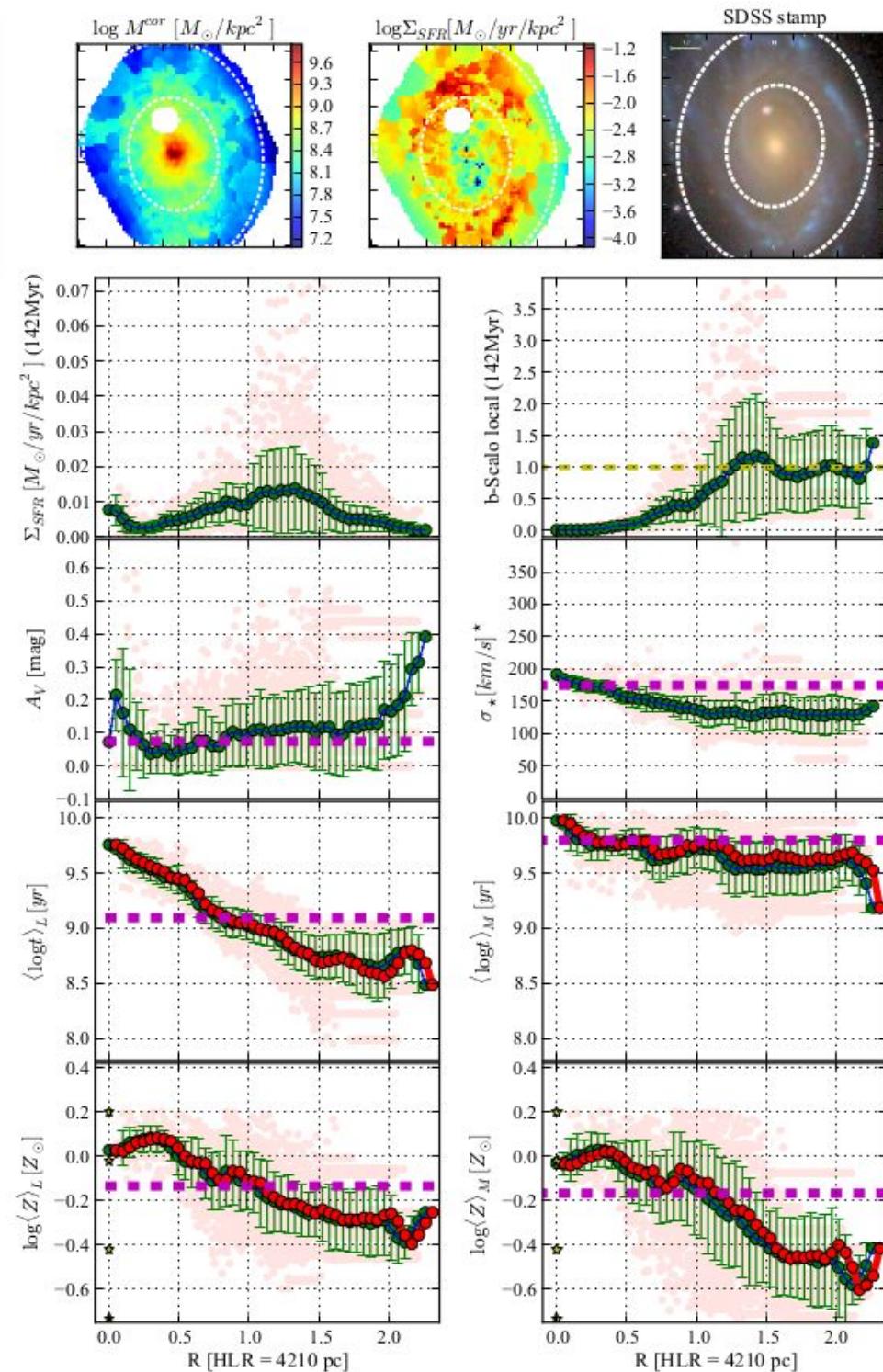
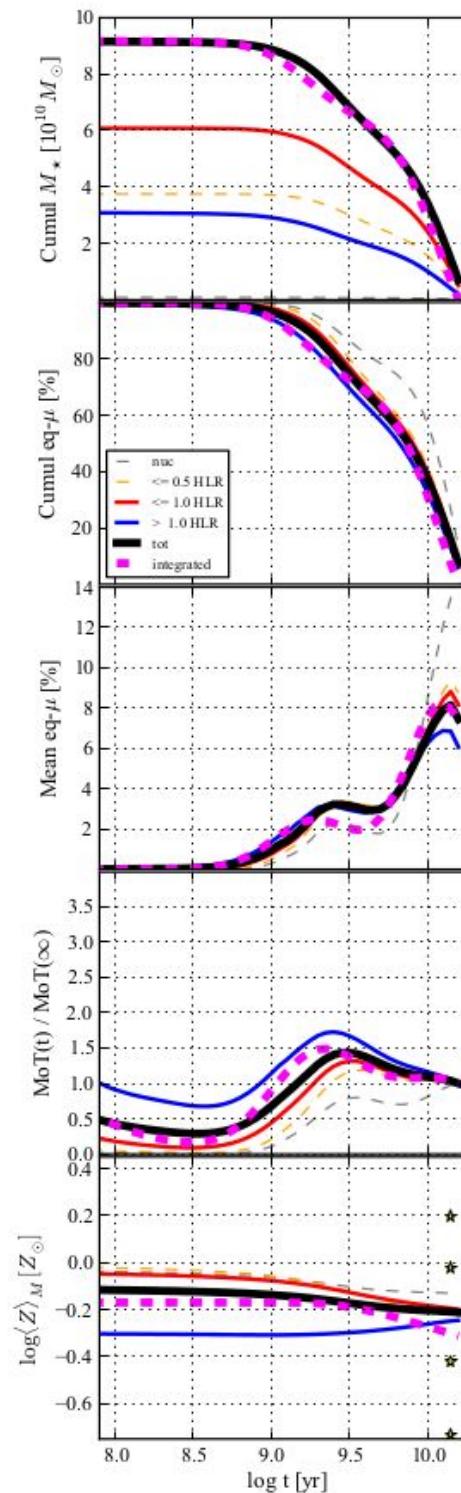
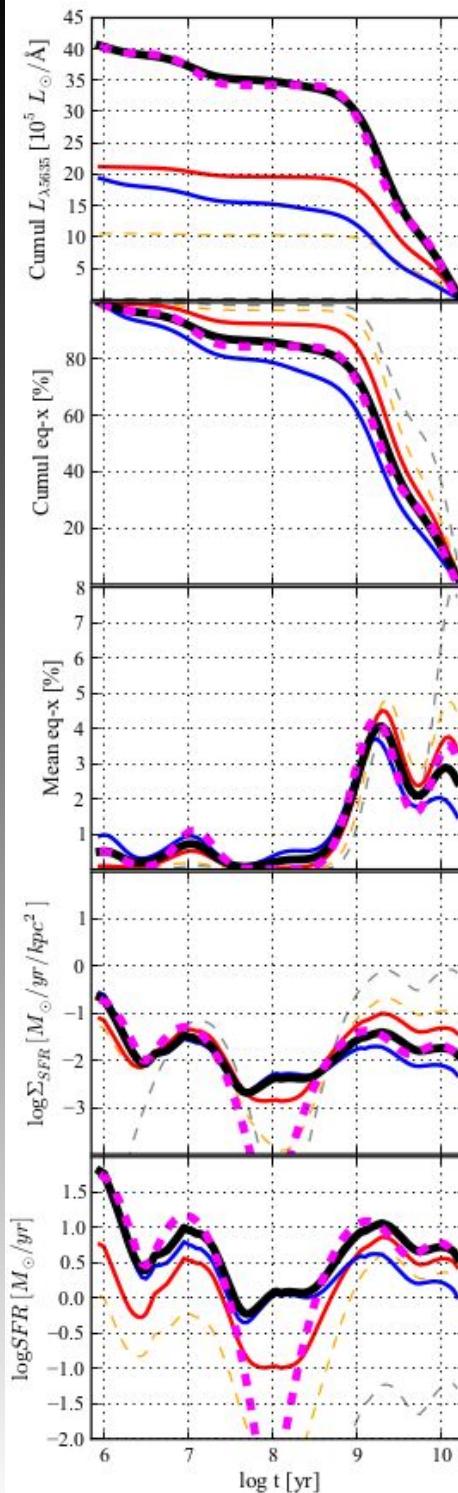
- PyCASSO
- PCA Tomography – How to...
- PCA pre-processing
- First results
- Reverse Engineering

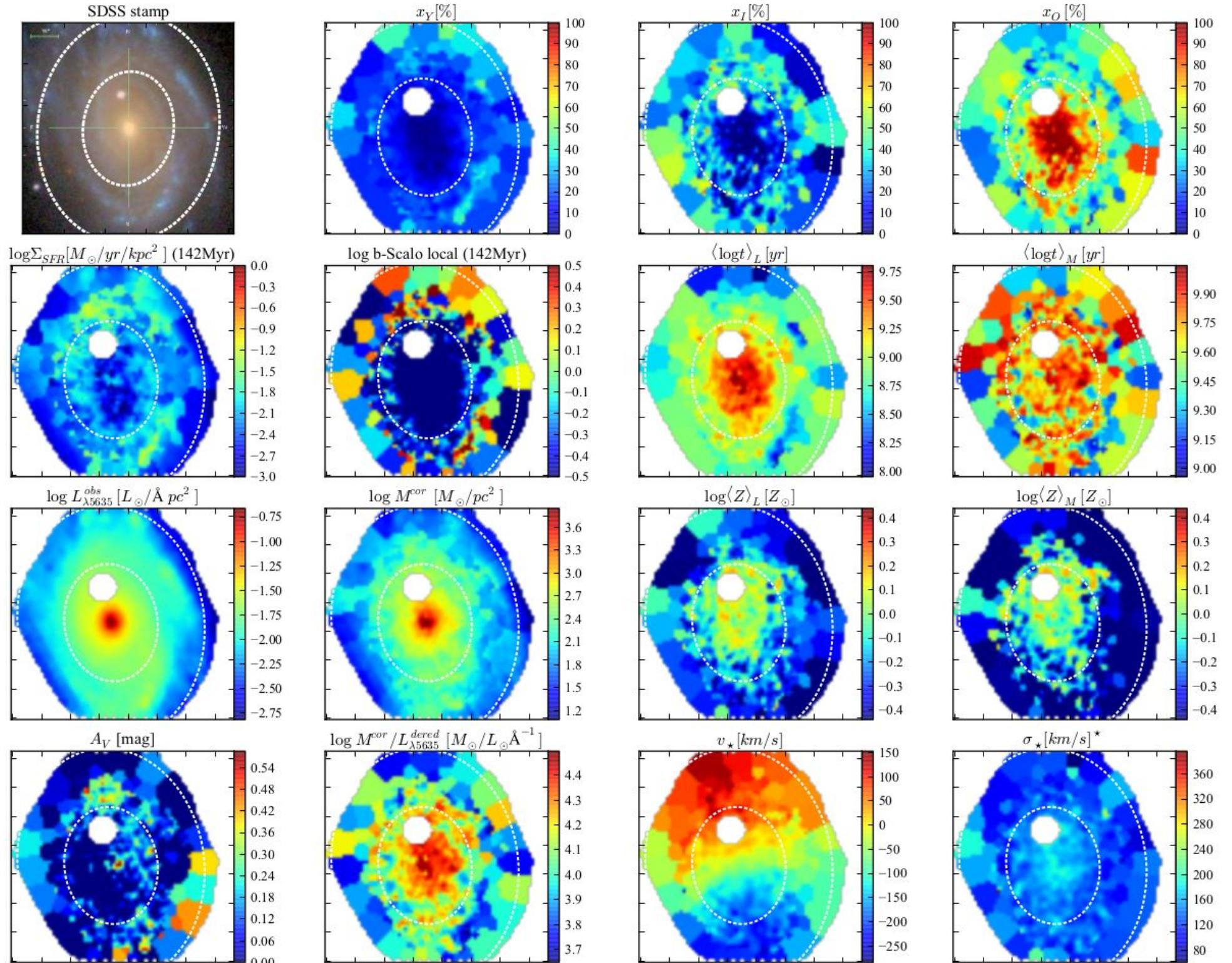
# The PyCASSO pipeline



$M_*$ ,  $v_*$ ,  $\sigma_*$ ,  $A_V$ ,  
 $\langle \text{age} \rangle$ ,  $\langle Z_* \rangle$ , SFH, ...  
as a function of x & y!!

STARLIGHT





# PCA Tomography – HOW TO:

An observed galaxy, divided into Voronoi zones or individual spaxels, can be expressed as a matrix where each row represents a zone spectrum:

$$\mathbf{F}_{z\lambda} = \begin{bmatrix} f_{z_0\lambda_0} & f_{z_0\lambda_1} & f_{z_0\lambda_2} & \dots & f_{z_0\lambda_m} \\ f_{z_1\lambda_0} & f_{z_1\lambda_1} & f_{z_1\lambda_2} & \dots & f_{z_1\lambda_m} \\ f_{z_2\lambda_0} & f_{z_2\lambda_1} & f_{z_2\lambda_2} & \dots & f_{z_2\lambda_m} \\ \dots & \dots & \dots & \dots & \dots \\ f_{z_n\lambda_0} & f_{z_n\lambda_1} & f_{z_n\lambda_2} & \dots & f_{z_n\lambda_m} \end{bmatrix} \quad (1)$$

where we have  $n$  zones (spatial pixels) and  $m$  spectral pixels. One can calculate the galaxy average spectrum as:

$$\langle \mathbf{F}_\lambda \rangle = \frac{1}{n} \sum_{i=0}^{i=n} f_{z_i\lambda} \quad (2)$$

# PCA Tomography – HOW TO:

Subtracting  $\mathbf{F}_{z\lambda}$  from  $\langle \mathbf{F}_\lambda \rangle$ ,

$$\mathbf{I}_{z\lambda} = \mathbf{F}_{z\lambda} - \langle \mathbf{F}_\lambda \rangle \quad (3)$$

we have a data set whose mean is zero. Now we can calculate the covariance matrix:

$$\mathbf{C}_{cov} = \frac{[\mathbf{I}_{z\lambda}]^T \cdot \mathbf{I}_{z\lambda}}{n - 1} \quad (4)$$

In order to complete PCA process we find the eigenvalues ( $\Lambda_k$ ) and eigenvectors ( $E_k$ ) of the covariance matrix  $\mathbf{C}_{cov}$ .

Let's call  $\mathbf{E}_{\lambda k}$  the matrix in which columns correspond to eigenvectors order by decreasing value of eigenvalue. Now we have the data in a new basis ( $\mathbf{T}$ ), with uncorrelated coordinates:

$$\mathbf{T}_{zk} = \mathbf{I}_{z\lambda} \cdot \mathbf{E}_{\lambda k} \quad (5)$$

To obtain the tomogram we transform the zones to spatial coordinates:  $z \rightarrow (x, y)$ .

# PCA Tomography: how to extract information from data cubes<sup>★</sup>

J. E. Steiner,<sup>1</sup>† R. B. Menezes,<sup>1</sup> T. V. Ricci<sup>1</sup> and A. S. Oliveira<sup>2</sup>

<sup>1</sup>*Instituto de Astronomia, Geofísica e Ciências Atmosféricas, Universidade de São Paulo, 05508-900, São Paulo, SP, Brasil*

<sup>2</sup>*IP&D, Universidade do Vale do Paraíba, Av. Shishima Hifumi, 2911, CEP 12244-000, São José dos Campos, SP, Brasil*

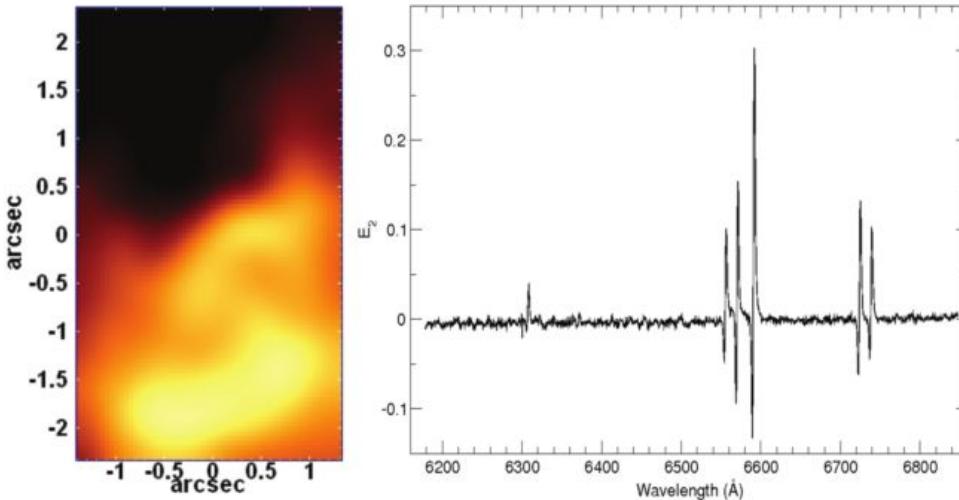
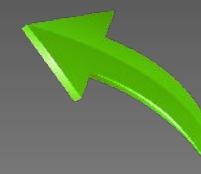
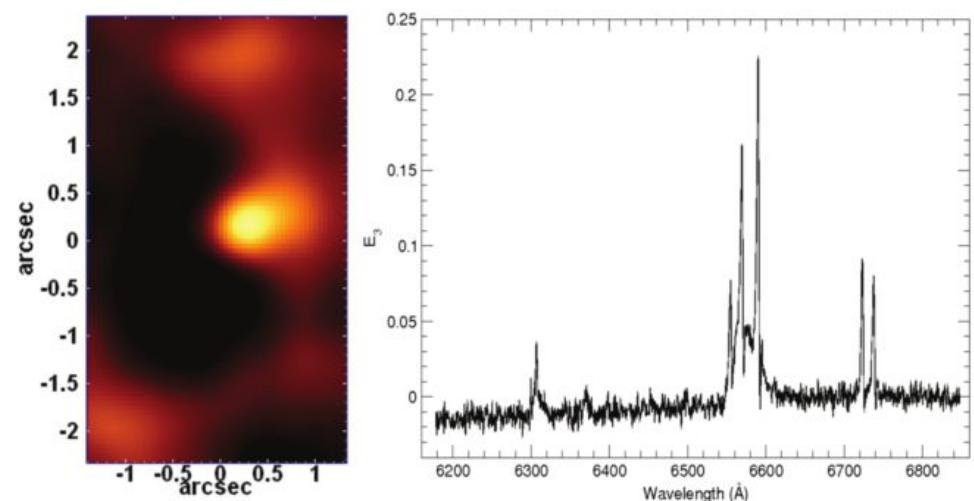


Figure A2. Tomogram of the principal component 2 and respective eigenspectrum.

PCA Tomograms applied to  
the central region of the  
LINER galaxy NGC 4736



The second eigenvector represents a  
clear map of the rotation of the  
emission-line gas in the FoV.



The third eigenvector represents some  
narrow lines ([OI], [NII] and [SII]) and a  
broad H $\alpha$  component. Usually taken as  
a clear evidence for an AGN associated  
with an supermassive black hole.

Figure A3. Tomogram of the principal component 3 and respective eigenspectrum.

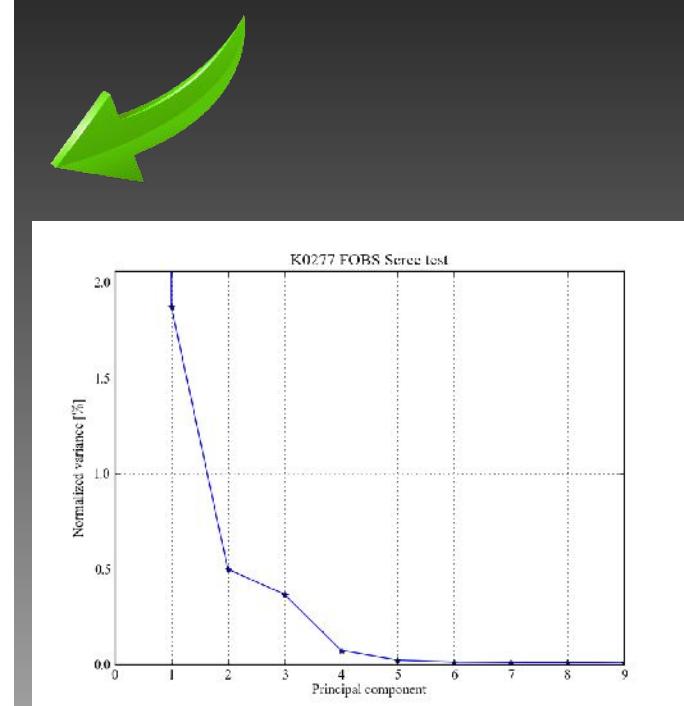
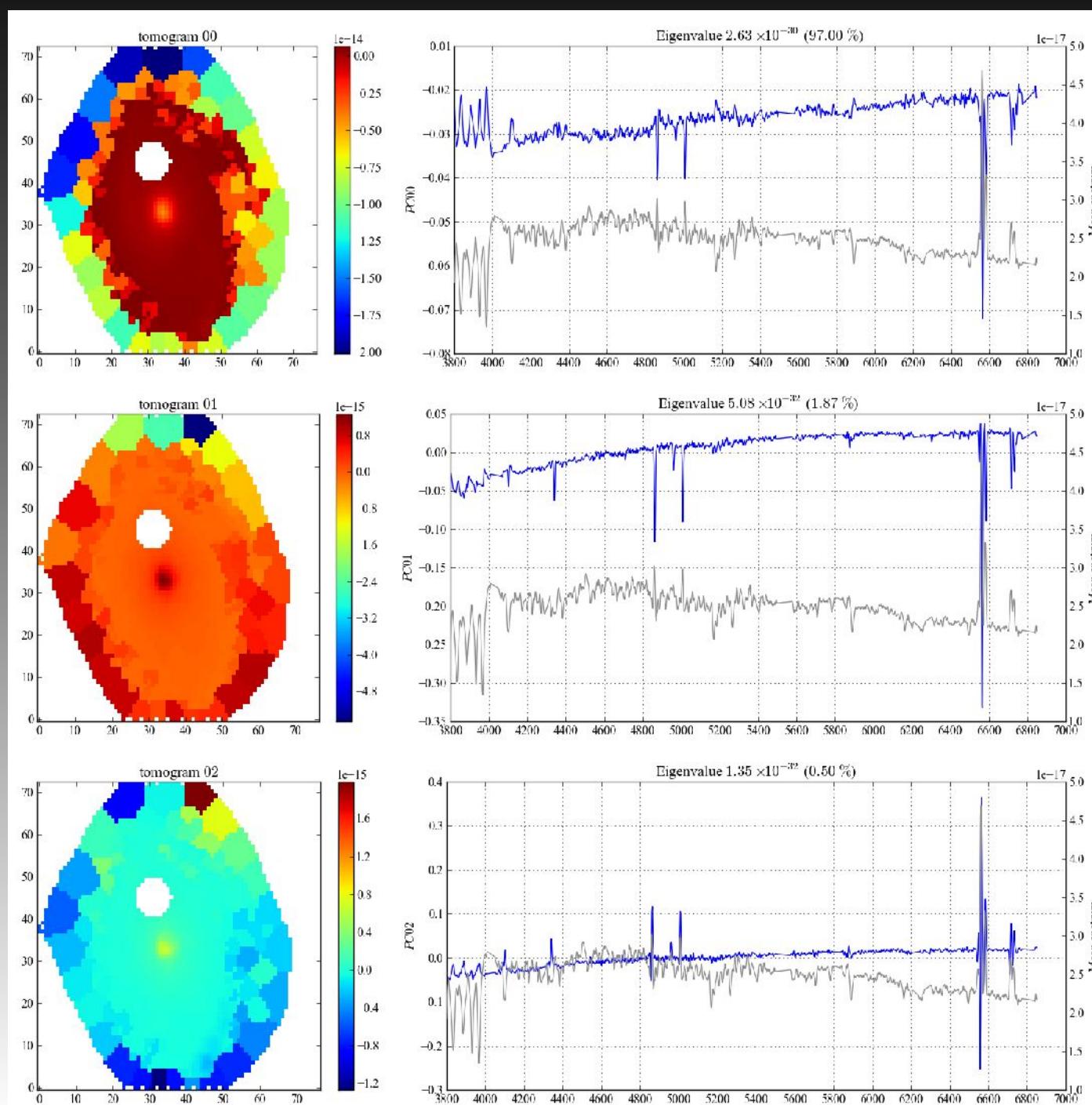
# PCA pre-processing

## PCABle things:

- Observed fluxes ( $F_{\text{obs}}$ )
- Synthetic fluxes ( $F_{\text{syn}}$  - STARLIGHT)
- Residual fluxes ( $F_{\text{obs}} - F_{\text{syn}}$ )
- Spectra without kinematics
- Spectra without emission lines (stellar light)
- Line fluxes or equivalent widths
- Log(flux)
- A specific range (like [OIII]H $\beta$  and/or [NII]H $\alpha$ )
- All of those above but normalized
- etc...

# First results - CALIFA 277 (NGC2916)

PCA Tomograms

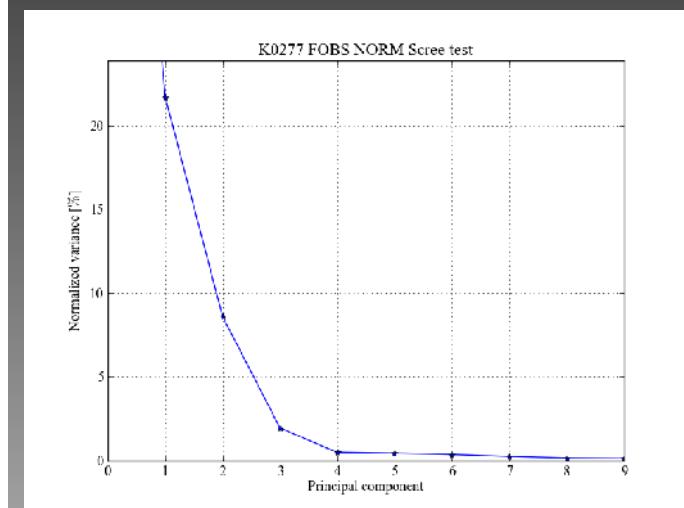
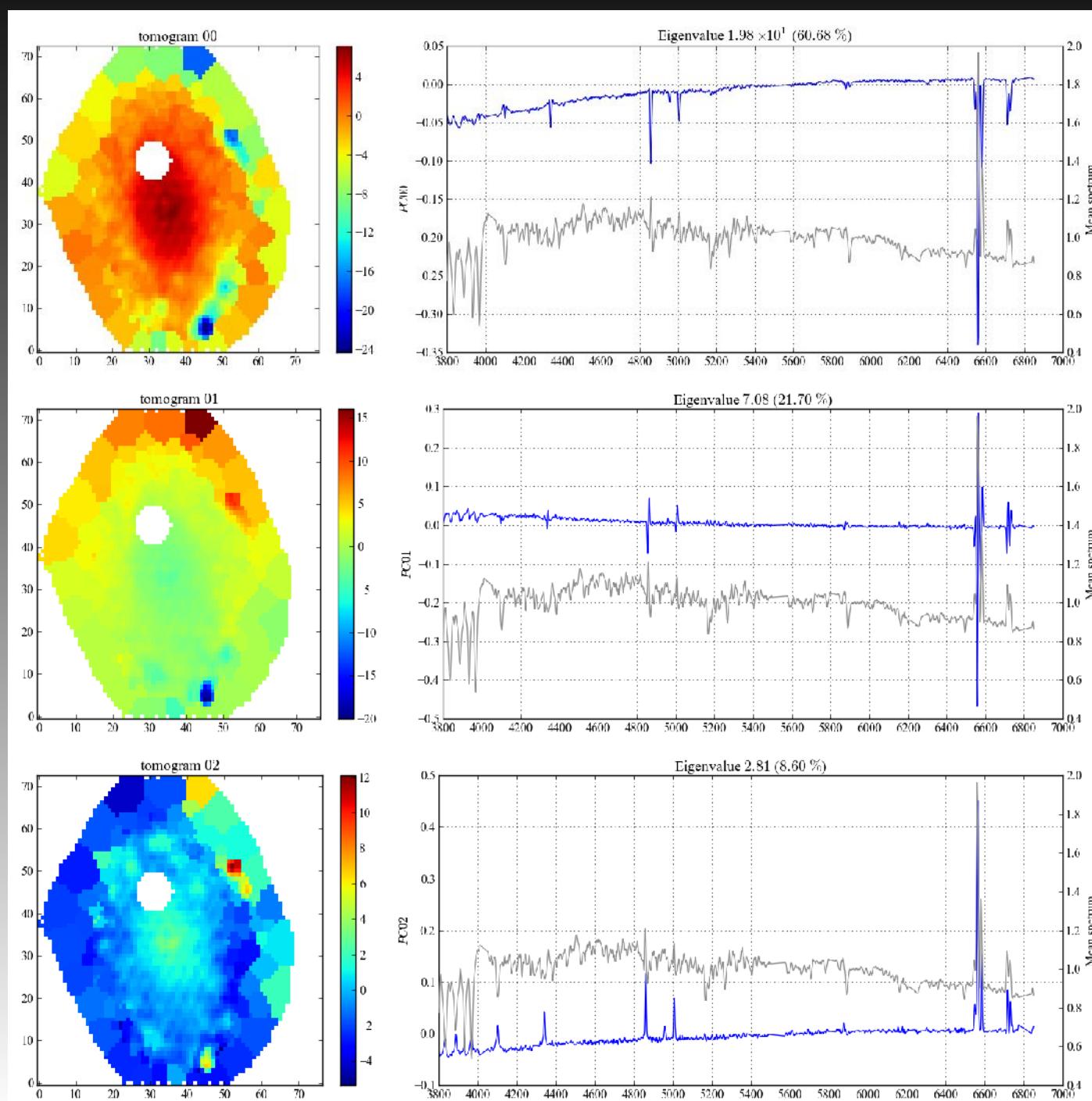


Scree test

Observed Flux

# First results - CALIFA 277 (NGC2916)

PCA Tomograms

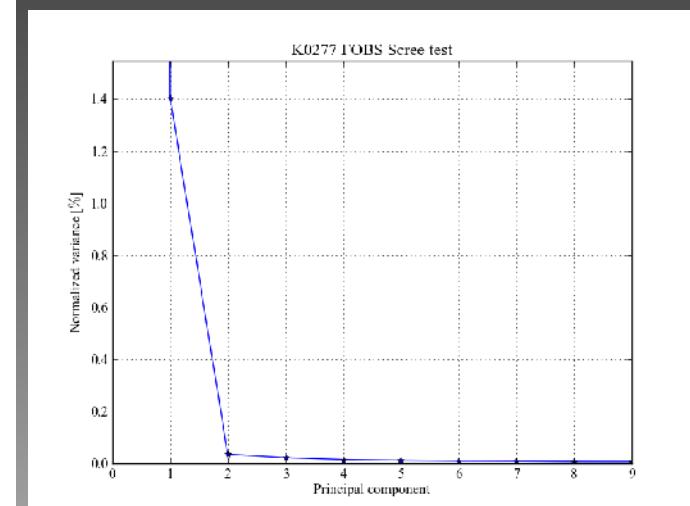
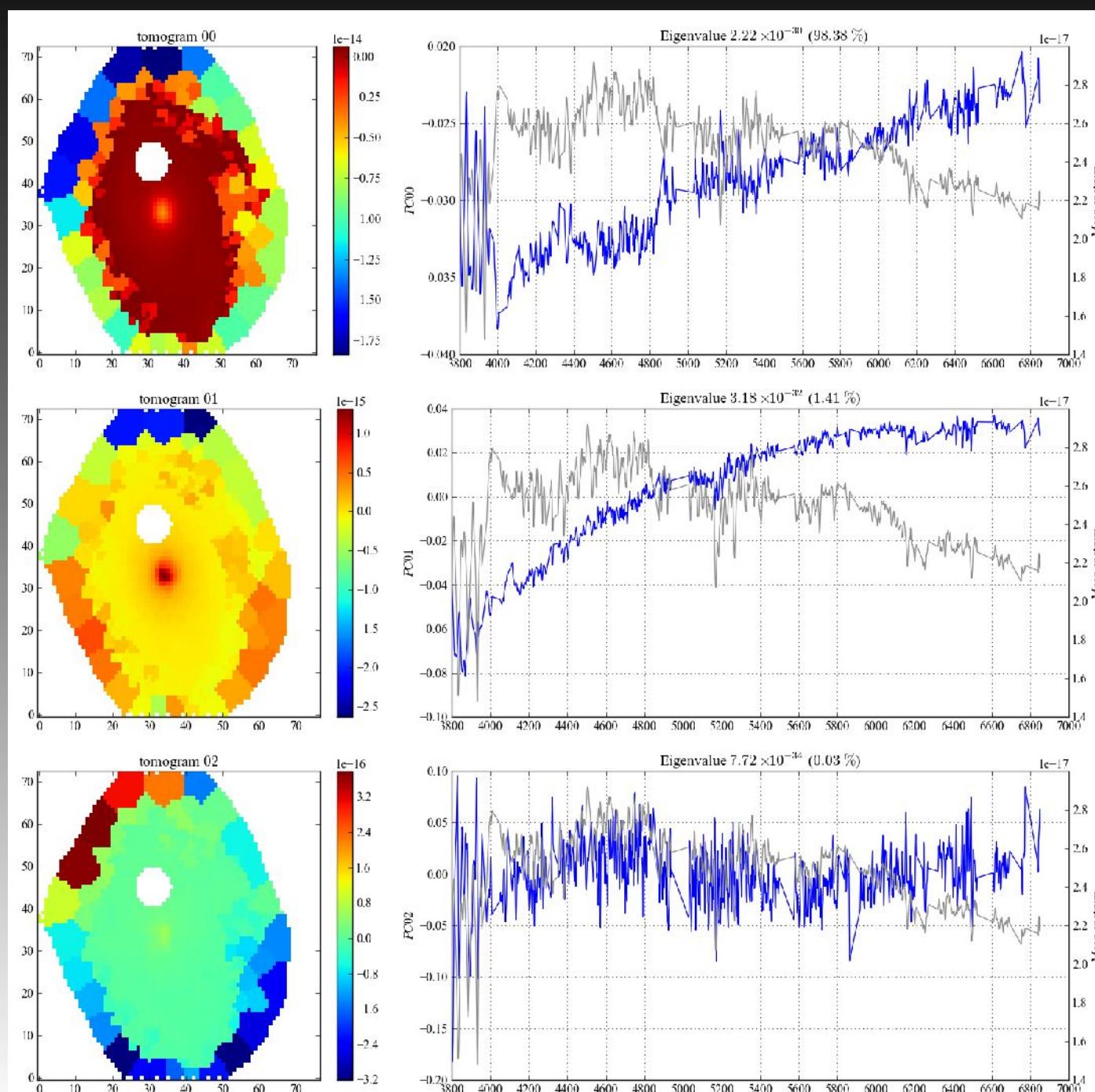


Scree test

Normalized  
observed flux

# First results - CALIFA 277 (NGC2916)

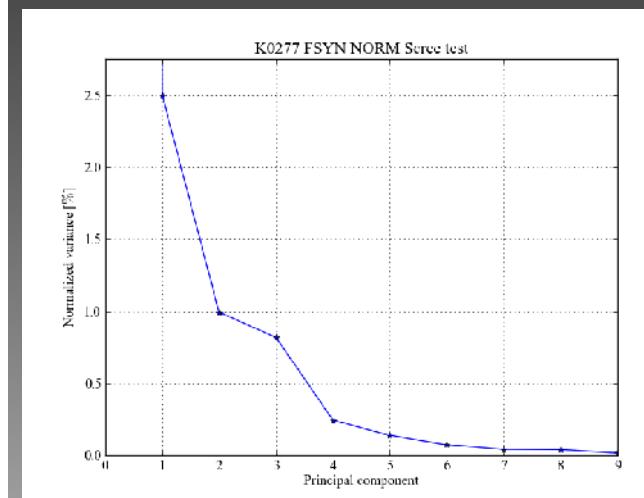
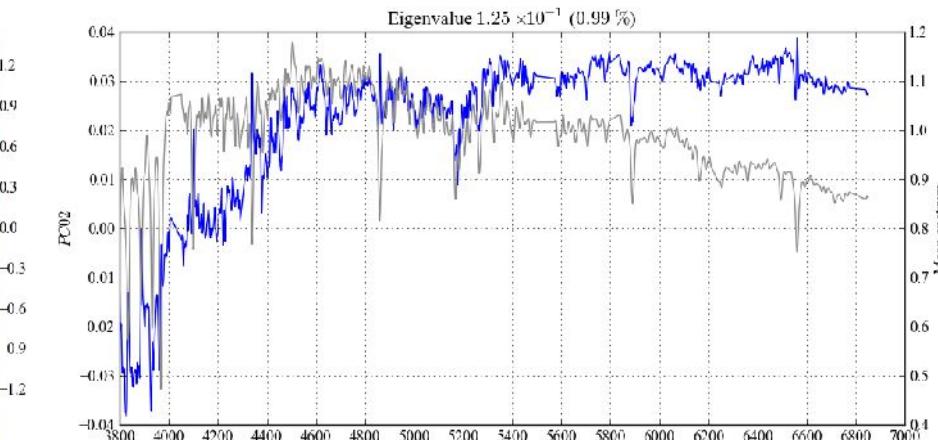
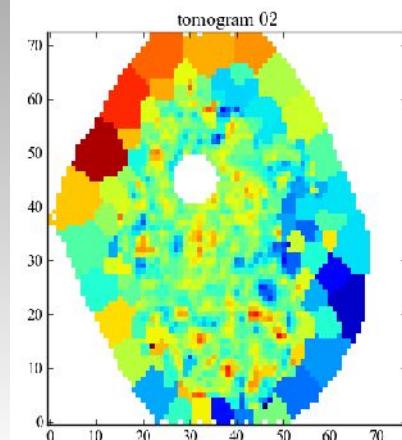
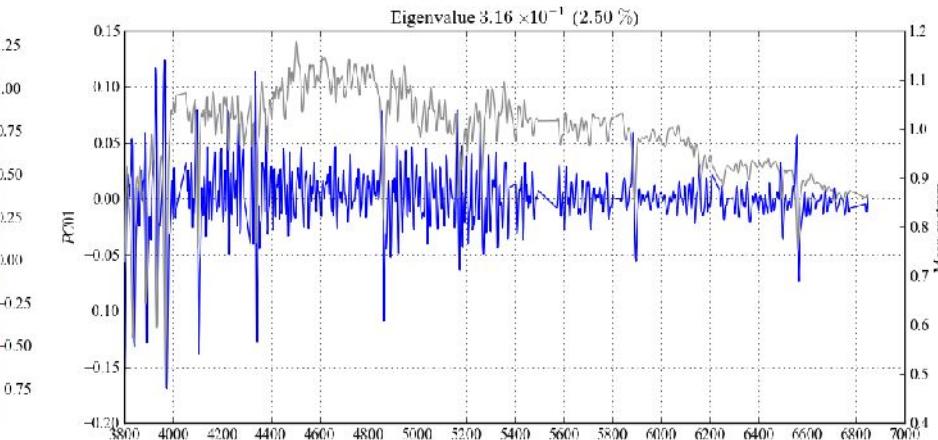
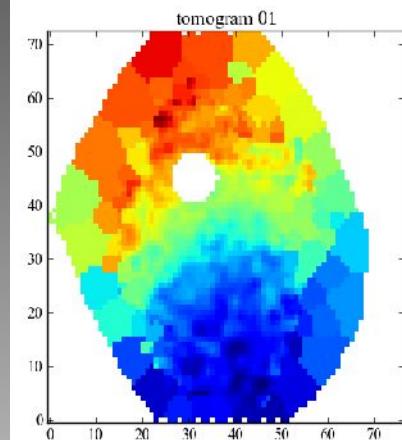
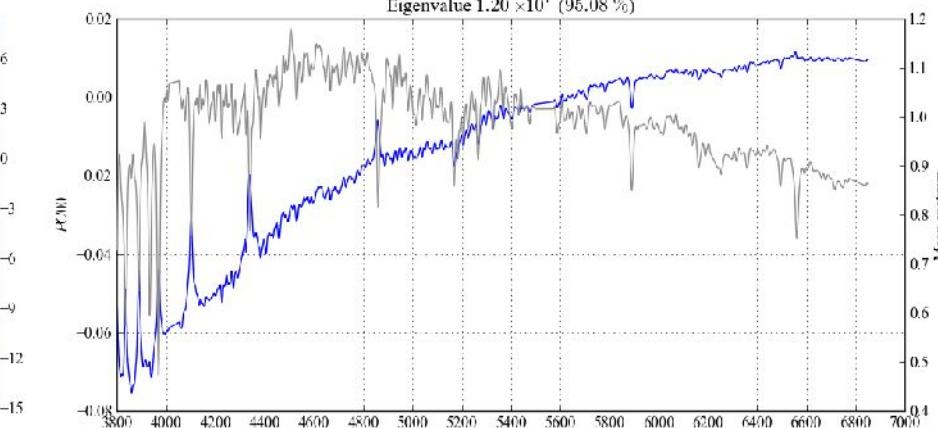
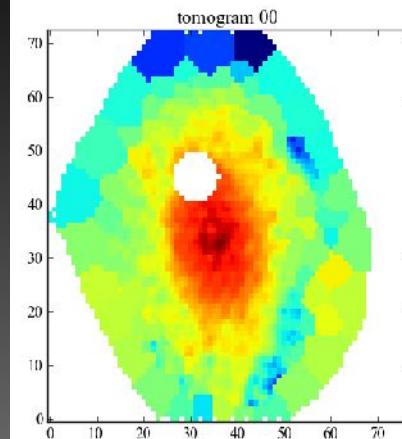
PCA Tomograms



Scree test  
Observed flux  
without emission  
lines

# First results - CALIFA 277 (NGC2916)

PCA Tomograms

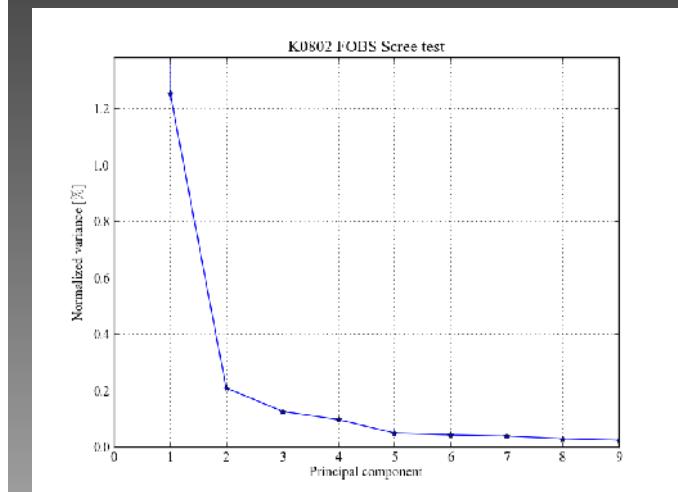
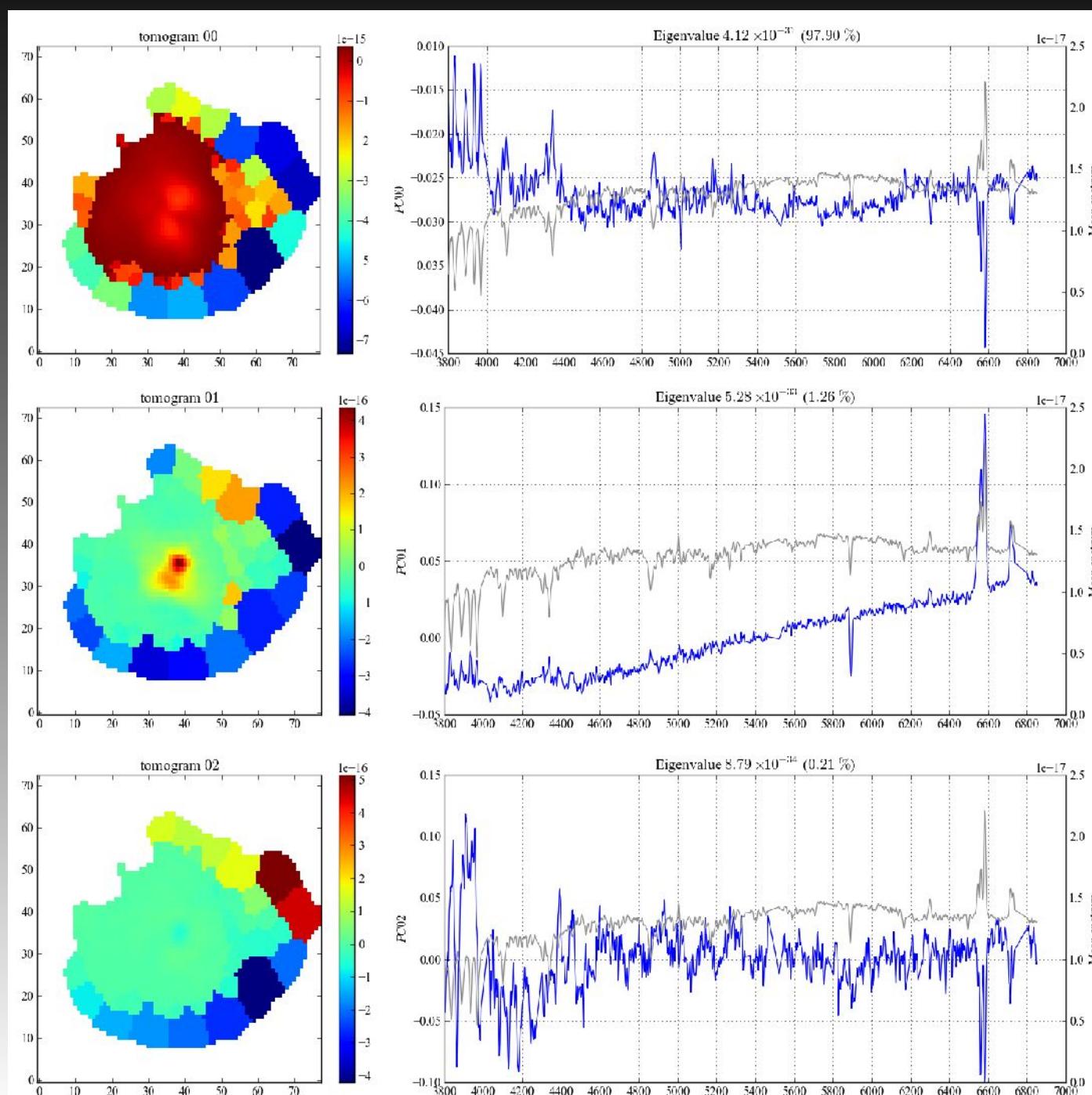


Scree test

Normalized  
synthetic flux

# First results - CALIFA 802 (Arp220)

PCA Tomograms

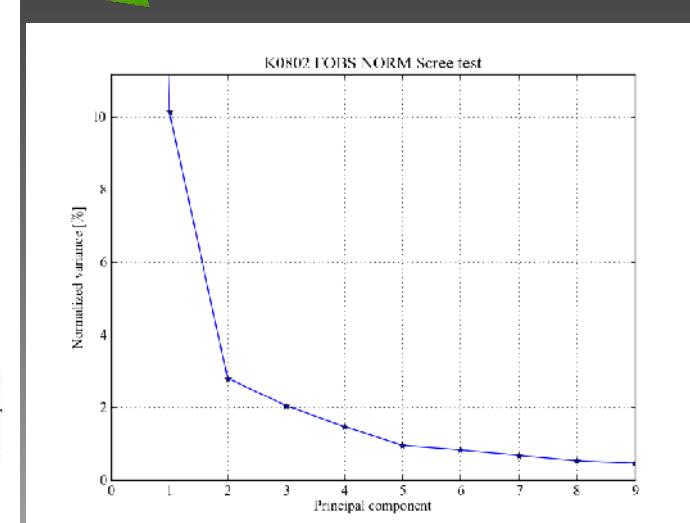
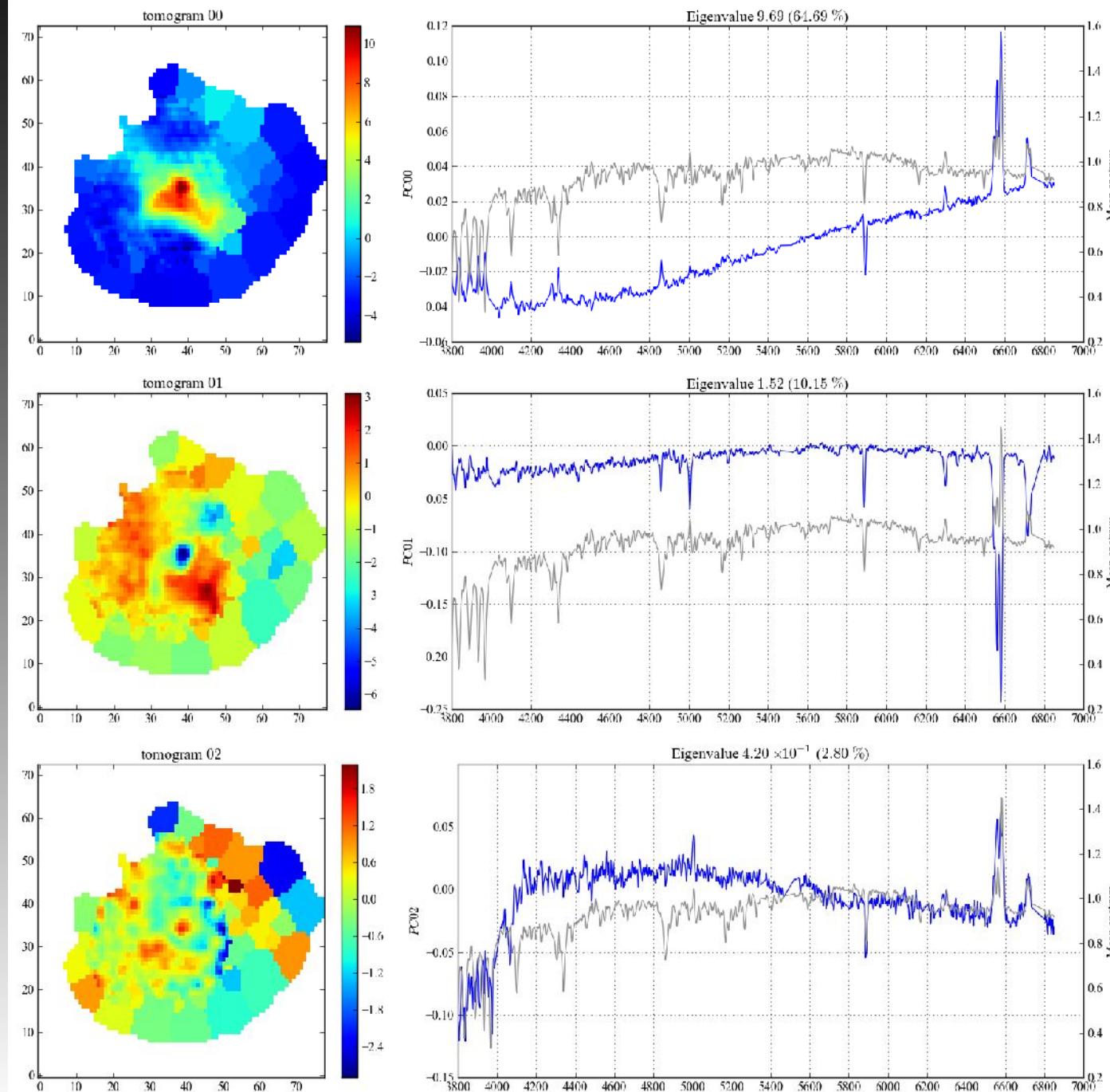


Scree test

Observed flux

# First results - CALIFA 802 (Arp220)

PCA Tomograms

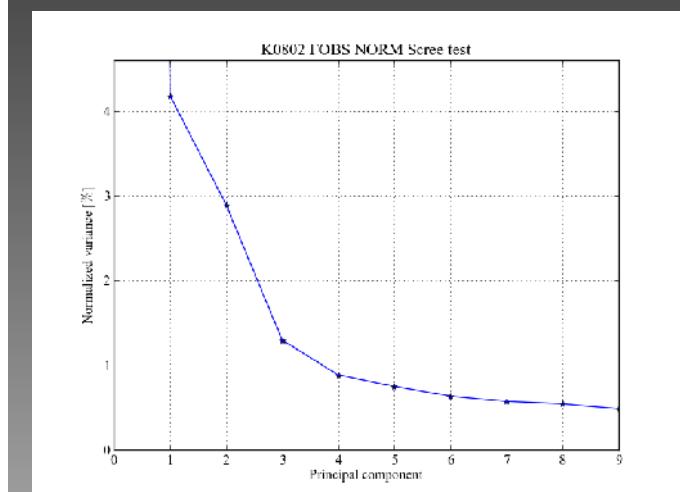
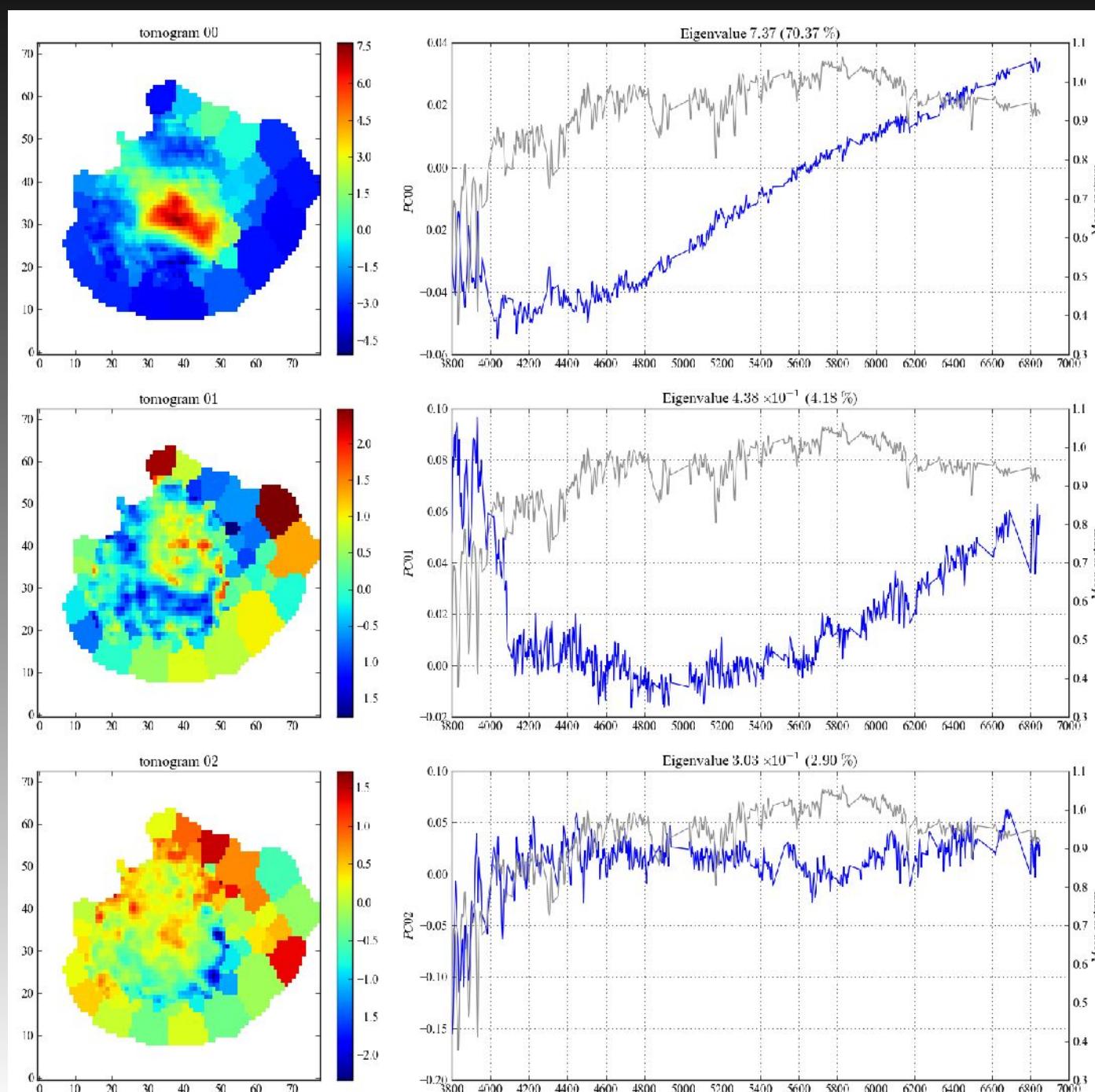


Scree test

Normalized  
observed flux

# First results - CALIFA 802 (Arp220)

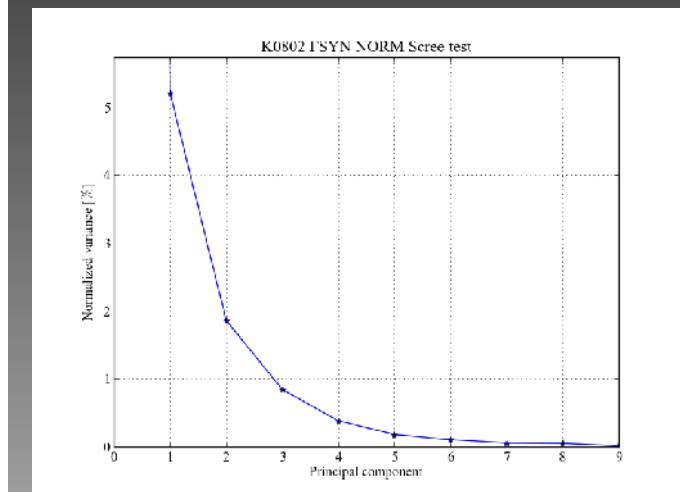
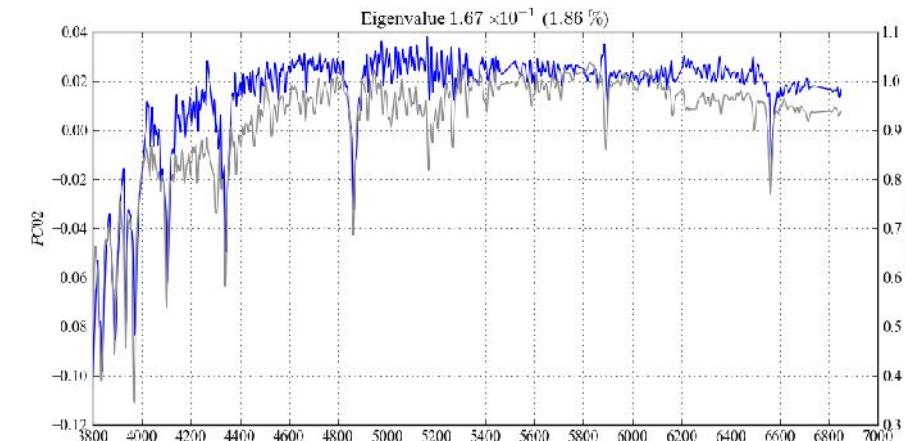
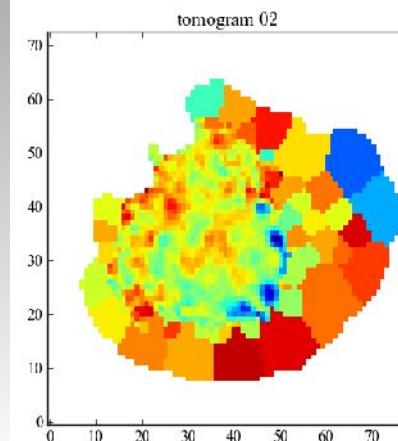
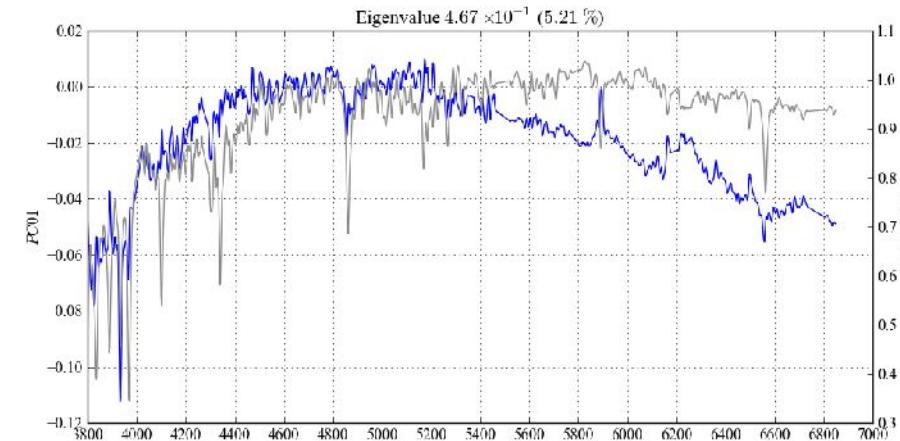
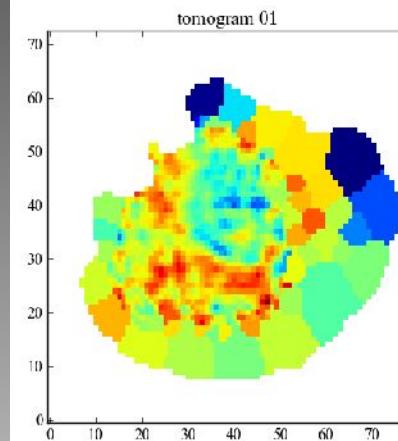
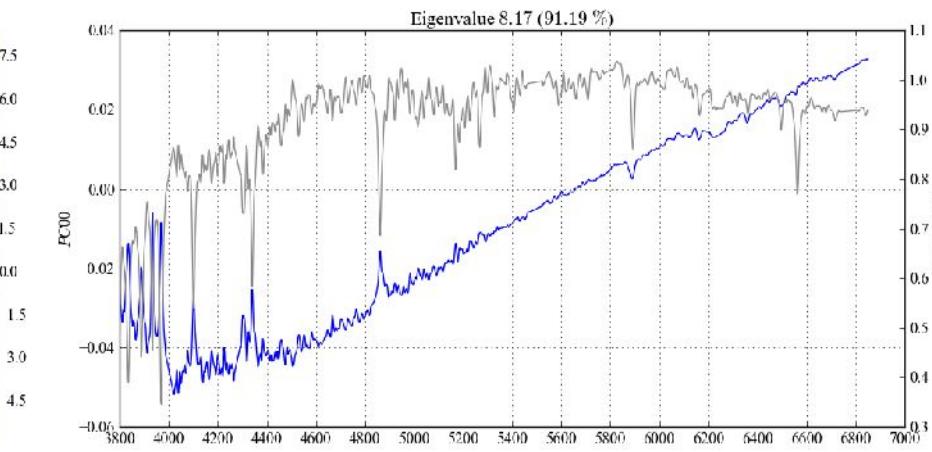
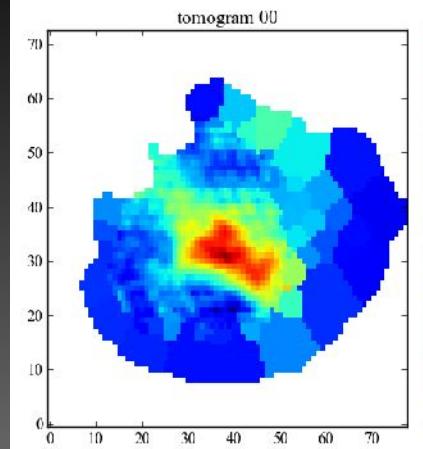
PCA Tomograms



Scree test  
Observed flux  
without emission  
lines

# First results - CALIFA 802 (Arp220)

PCA Tomograms



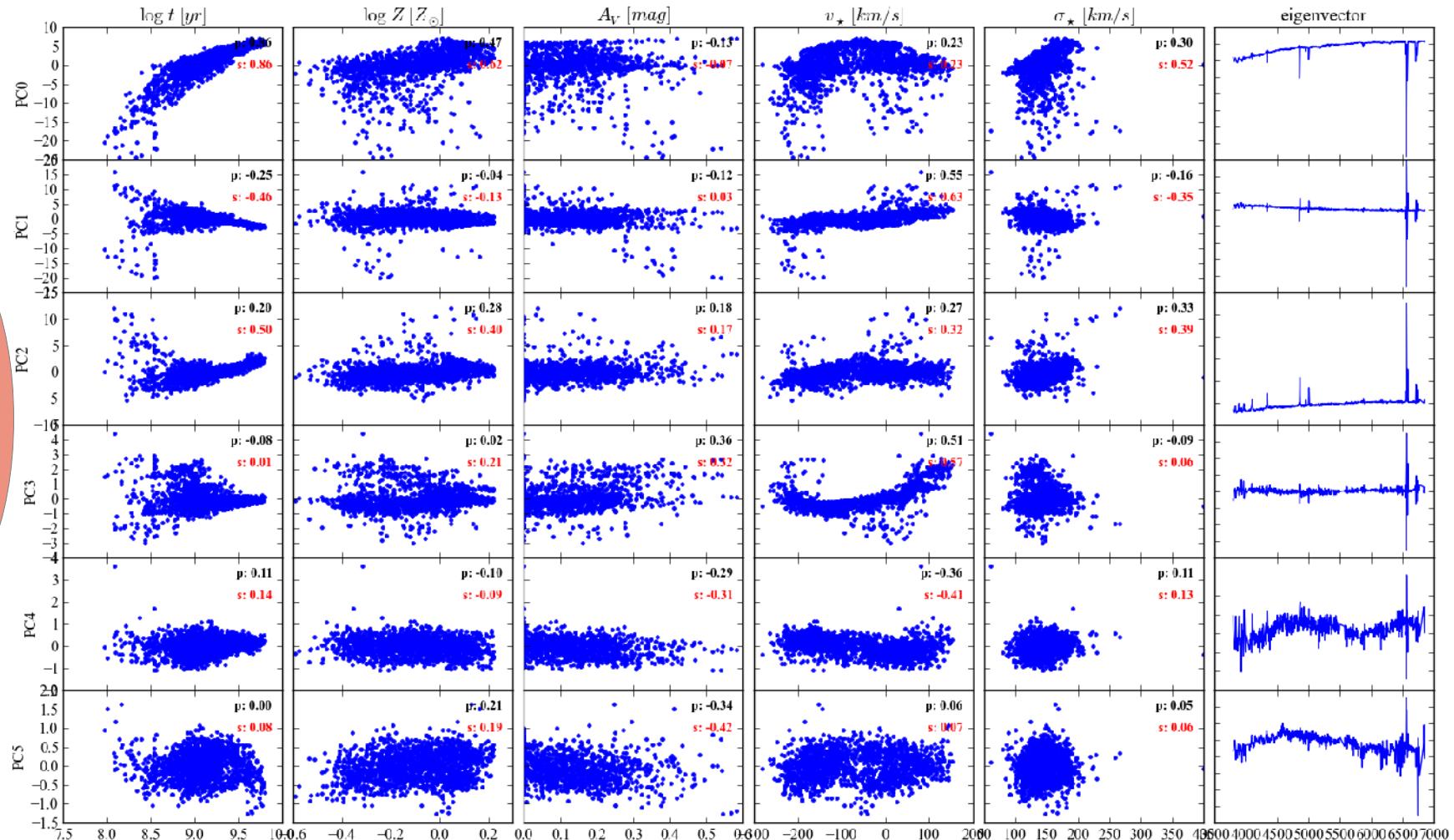
Scree test

Normalized  
synthetic flux

# Recovering the geometry

## Correlations – CALIFA 277 (NGC2916)

Correlations - OBS NORM



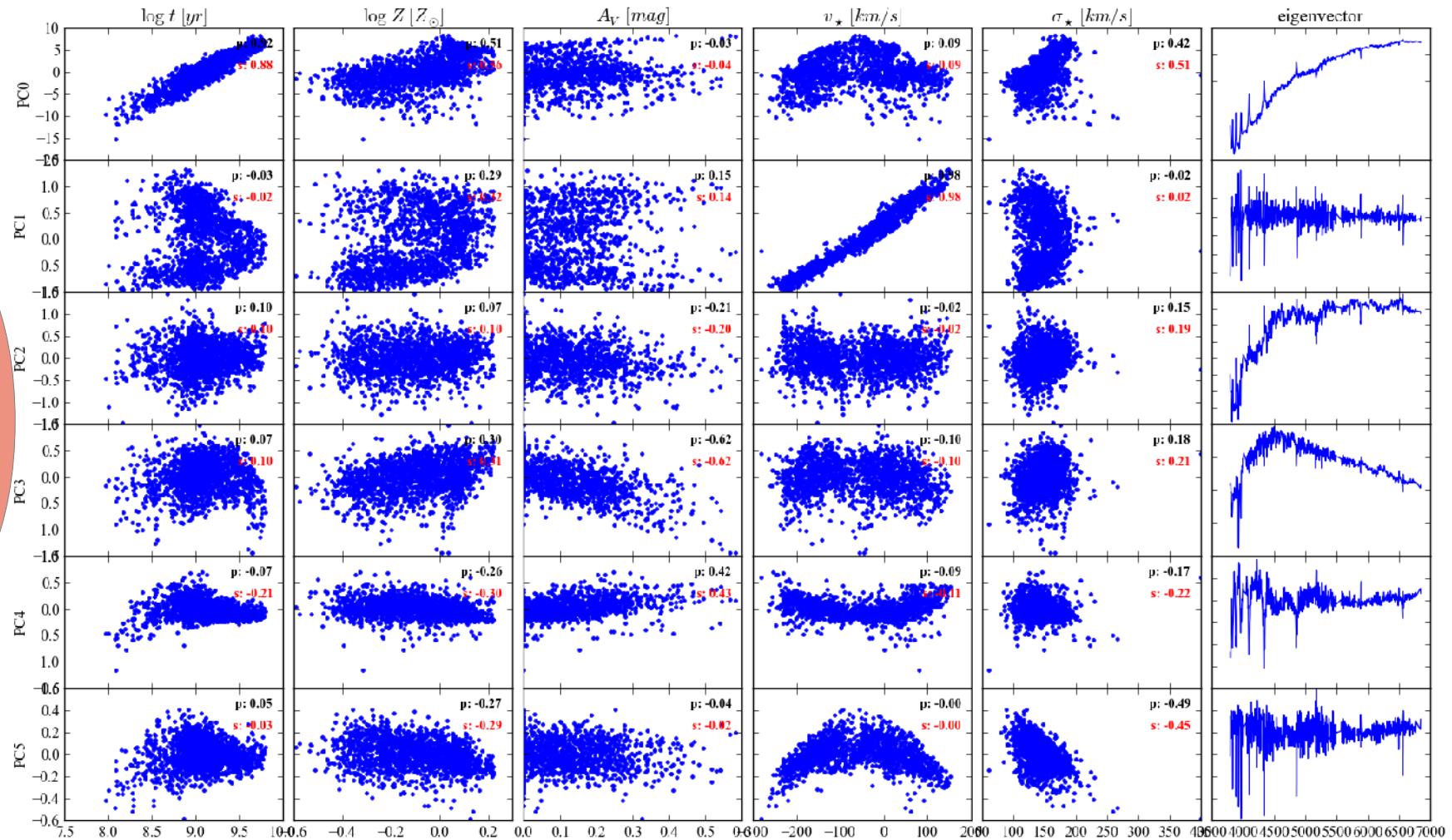
Normalized  
observed flux

# Reverse Engineering

## Correlations – CALIFA 277 (NGC2916)

Normalized  
synthetic flux

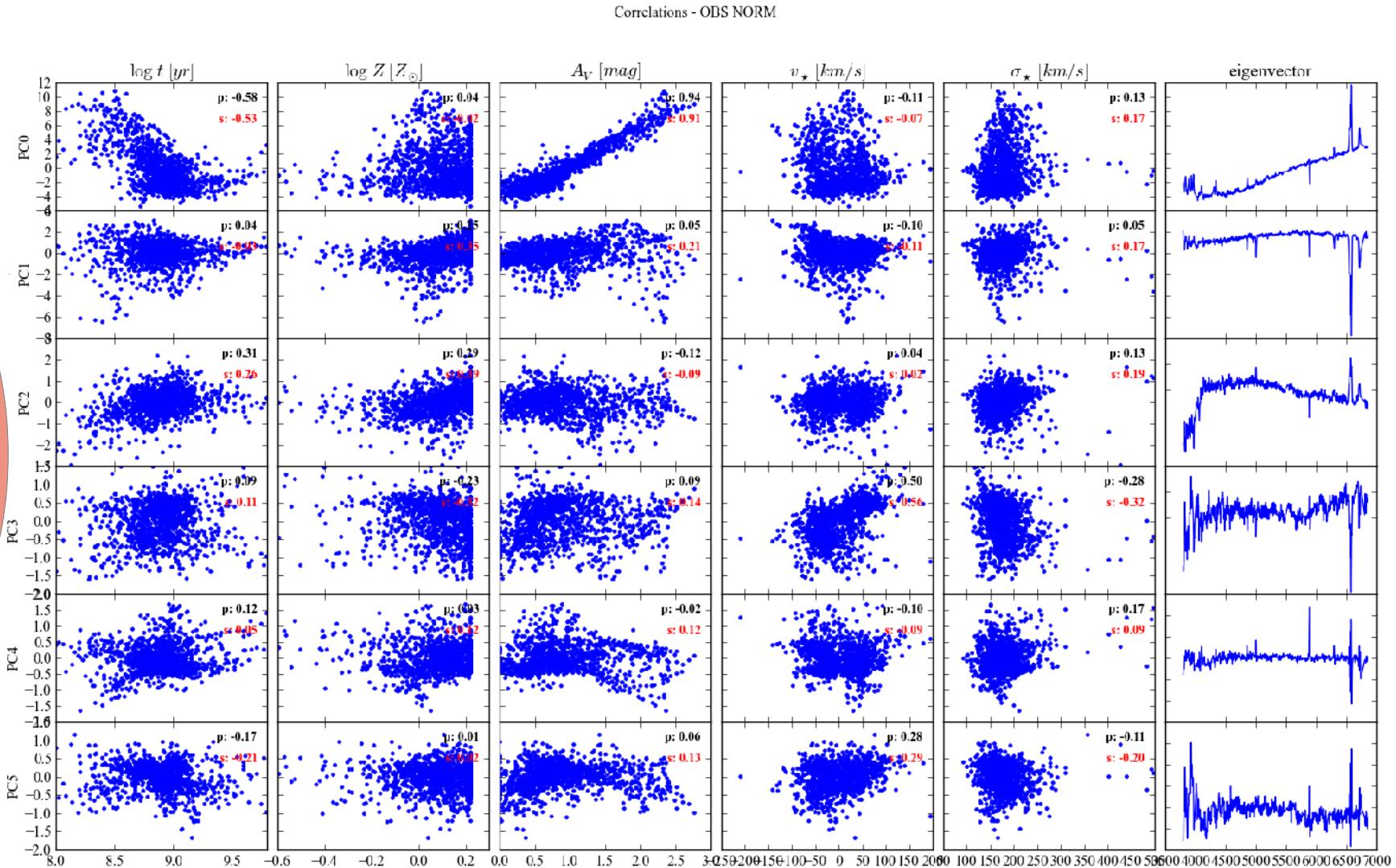
Correlations - SYN NORM



# Reverse Engineering

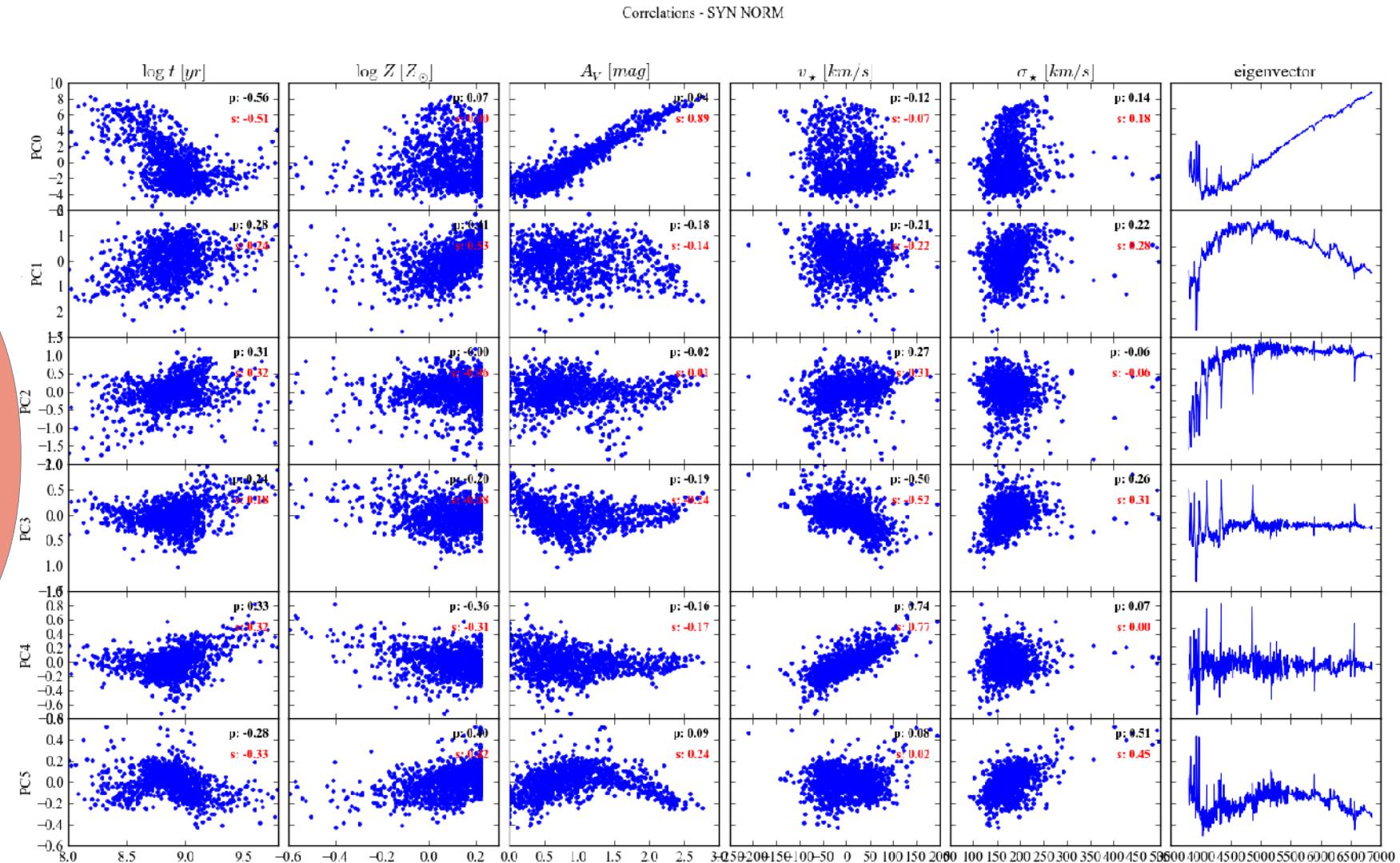
## Correlations – CALIFA 802 (Arp220)

Normalized  
observed flux



# Reverse Engineering

## Correlations – CALIFA 802 (Arp220)



# Reconstruct spectra

With the eigenvectors matrix ( $\mathbf{E}_{\lambda k}$ ), we reconstruct the matrix  $\mathbf{I}_{z\lambda}^{rec}$  with  $k \leq r$  eigenvectors as:

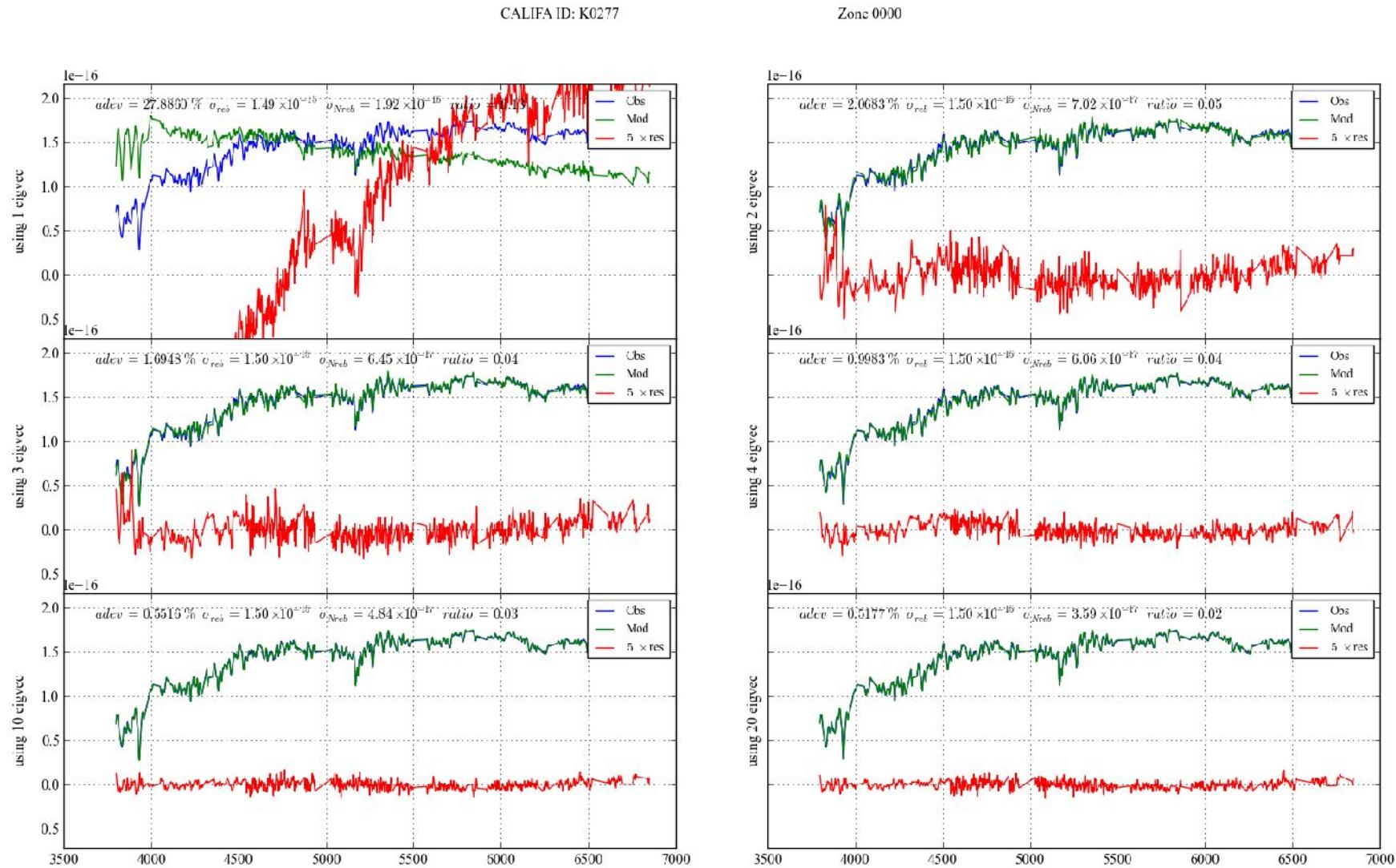
$$\mathbf{I}_{z\lambda}^{rec}(k \leq r) = \mathbf{T}_{zk}(k \leq r) \cdot [\mathbf{E}_{\lambda k}(k \leq r)]^T \quad (6)$$

The reconstructed flux matrix ( $\mathbf{F}_{z\lambda}^{rec}$ ) now can be obtained adding  $\langle \mathbf{F}_\lambda \rangle$  to  $\mathbf{I}_{z\lambda}^{reb}$ :

$$\mathbf{F}_{z\lambda}^{rec} = \mathbf{I}_{z\lambda}^{rec} + \langle \mathbf{F}_\lambda \rangle \quad (7)$$

# Reconstruct spectra

## CALIFA 277 (NGC2916) – central pixel (zone 0)



# Conclusions

Ask me in one year !!!





¡Gracias!